

## Supporting Information

### Photo-induced Proton-Coupled Electron Transfer Reactions of Acridine Orange: Comprehensive Spectral and Kinetics Analysis

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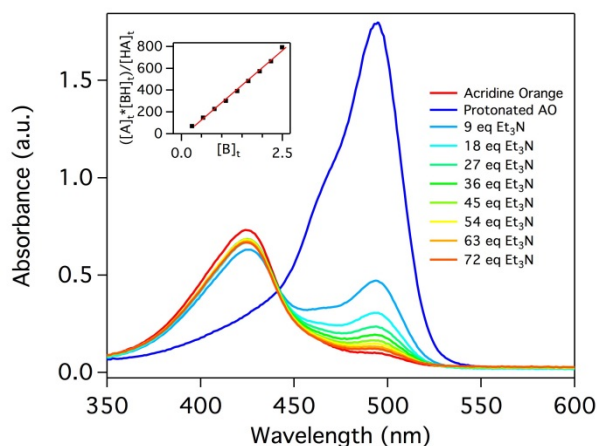
## **I. Experimental Methods**

**General.** All solutions for electrochemical or transient absorption analysis were prepared in a nitrogen-filled glovebox. The acetonitrile used (Fisher Sci, HPLC, >99.9%) was degassed with argon and dried with a Pure Process Technology Solvent System. Reagents were purchased from Aldrich, with the exception of TEMPO<sup>•</sup> (2,2,6,6-Tetramethylpiperidine 1-oxyl, Chem-Impex Intl.). Acridine Orange was purified by dissolving in methanol and precipitating with 0.1 M NaOH before drying *in vacuo* and storing under inert atmosphere. Despite purification, trace amounts of acridinium were still detected in optical spectra. <sup>ttb</sup>PhOH was dried *in vacuo* and stored under an inert atmosphere. <sup>ttb</sup>PhOD<sup>1</sup> and TEMPOH<sup>2</sup> were prepared according to literature procedures. Tetrabutylammonium hexafluorophosphate was recrystallized from absolute ethanol, dried *in vacuo*, and stored under inert atmosphere. Triethylamine and tetrafluoroboric acid•diethyl ether were degassed via the freeze-pump-thaw method (three cycles) and stored under inert atmosphere.

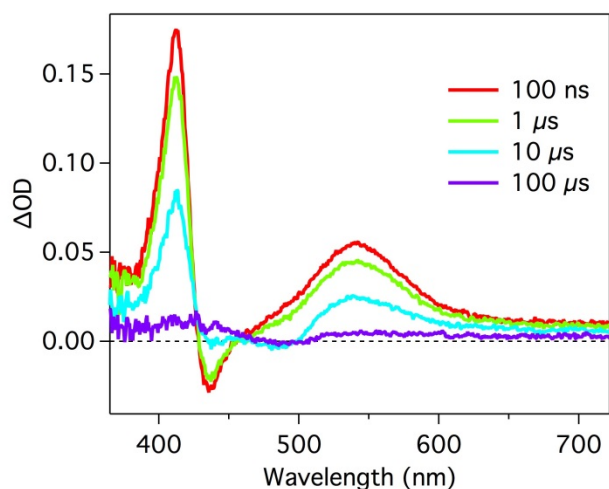
**Transient Absorption Spectroscopy.** Transient absorption experiments were performed using a commercially available laser flash photolysis system (Edinburgh Instruments LP920) with laser excitation (532 nm, 5–7 ns fwhm, typically  $5.0 \pm 0.1$  mJ/pulse unless stated otherwise, 5 mm beam diameter, 20 mJ/cm<sup>2</sup>) provided by a pulsed Nd:YAG laser (Spectra-Physics Quanta-Ray LAB-170-10)/optical parametric oscillator (VersaScan-MB) combination. To accommodate the pulsed, 1 Hz intensification of the 450 W Xe probe source of the LP920, the laser system was set such that the flash lamps were fired at 10 Hz yet Q-switched at 1 Hz. The timing of the experiment, including laser and probe pulsing, was PC controlled via Edinburgh software (L900). The LP920 was equipped with a multigrating detection monochromator outfitted with a Hamamatsu R928 photomultiplier tube (PMT) in a noncooled housing and a gated charge-coupled device (CCD) (Princeton Instruments, PI-MAX3) such that detection was software selectable. Single-wavelength transient absorption kinetics were monitored with the PMT (10 ns fwhm impulse response function, reliable data out to 400  $\mu$ s, 300–900 nm) and recorded with a Tektronix TDS-3032C oscilloscope. The gated CCD was used for recording transient spectra covering the entire visible region (400–850 nm, 3 nm spectral bandwidth) at a given time after excitation (10 ns gate width). Data were the result of averaging 40–100 laser shots. Data were collected at room temperature ( $295 \pm 3$  K). All samples for transient absorption measurements were prepared in rigorously dry acetonitrile solutions with 100 mM [Bu<sub>4</sub>N][PF<sub>6</sub>]. Samples were placed into 10 mm path length quartz cuvettes and isolated from atmosphere with a Teflon valve.

**Electrochemical Methods.** Electrochemistry was performed in a nitrogen filled glovebox with a Pine Instruments WaveNow potentiostat using glassy carbon working electrodes, a platinum counter electrode, and a Ag/AgNO<sub>3</sub> (10 mM AgNO<sub>3</sub>) reference electrode. All scans were performed in acetonitrile solutions with 100 mM [Bu<sub>4</sub>N][PF<sub>6</sub>] and referenced to the ferrocene/ferrocenium couple (Fc<sup>+0</sup>). Glassy carbon working electrodes (CH Instruments, 3 mm diameter) were polished with 0.3 micron alumina powder and 0.05 micron alumina powder (CH Instruments, contained no agglomerating agents), rinsed and ultrasonicated for one minute in HPLC grade water to remove residual polishing powder. Spectroelectrochemical measurements were performed with a honeycomb platinum working electrode (Pine Instruments), a platinum counter electrode and a Ag pseudo-reference electrode in a thin-layer quartz cuvette.

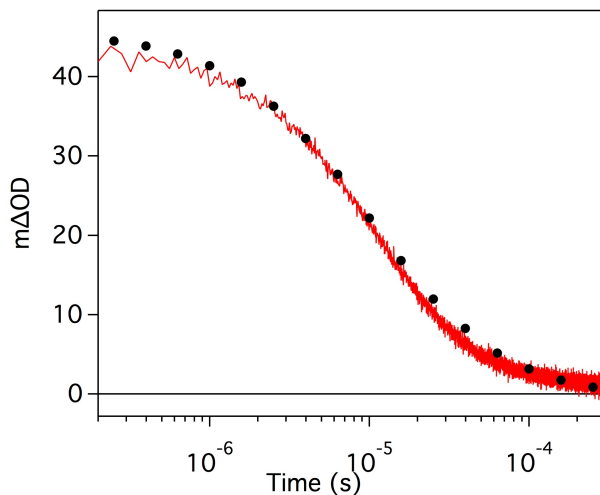
## II. Additional Figures and Tables



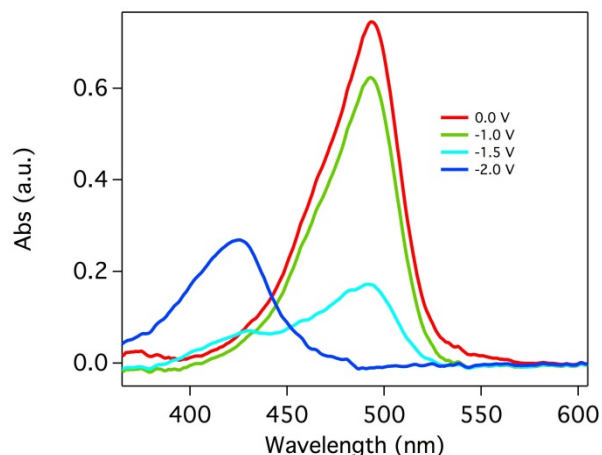
**Figure S1.** Spectrophotometric titration of acridine orange was used to determine the  $pK_a$  in  $\text{CH}_3\text{CN}$ . AO was first completely protonated with 1 equivalent of  $\text{HBF}_4 \cdot \text{Et}_2\text{O}$  before being titrated with additions of triethylamine ( $pK_a = 18.3$ ). An absorbance spectrum was obtained before protonation, after protonation and after every addition of  $\text{Et}_3\text{N}$ . The  $pK_a$  of AO ( $pK_a = 19.3$ ) was determined using the method of Saouma *et al.*<sup>3</sup>



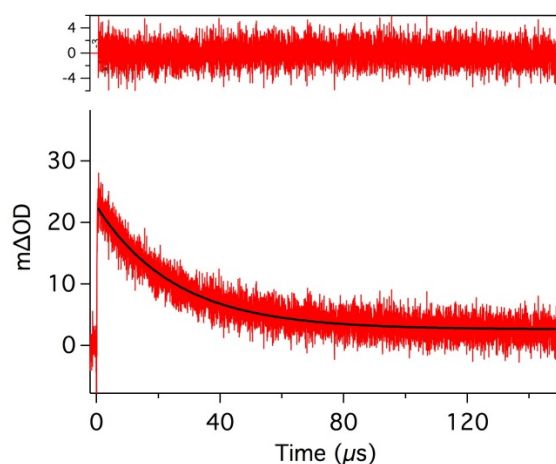
**Figure S2.** Transient difference spectra of  $40 \mu\text{M}$  AO in  $\text{CH}_3\text{CN}$  at selected time delays after laser excitation.  $\lambda_{\text{ex}} = 425 \text{ nm}$ ,  $0.1 \text{ mM}$   $[\text{Bu}_4\text{N}][\text{PF}_6]$ .



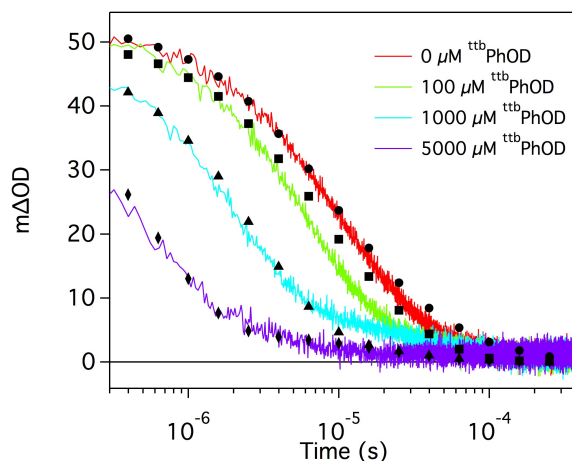
**Figure S3.** Decay of the triplet excited state of AO monitored at 560 nm in CH<sub>3</sub>CN (line) and the corresponding simulated spectrum (markers). Rate constants determined from the simulation and the values previously determined in water at pH 12:<sup>4</sup>  $k_{nr}$  (300 s<sup>-1</sup>, lit: 300 s<sup>-1</sup>),  $k_{TT}$  ( $5.3 \times 10^9$  M<sup>-1</sup> s<sup>-1</sup>, lit:  $5.5 \times 10^9$  M<sup>-1</sup> s<sup>-1</sup>),  $k_S$  ( $1.0 \times 10^8$  M<sup>-1</sup> s<sup>-1</sup>, lit:  $3 \times 10^8$  M<sup>-1</sup> s<sup>-1</sup>).  $k_{AOH}$  was determined independently ( $4.0 \times 10^4$  s<sup>-1</sup>, see Figure S5). 40 μM AO,  $\lambda_{ex} = 425$  nm,  $\lambda_{obs} = 560$  nm, 0.1 M [Bu<sub>4</sub>N][PF<sub>6</sub>].



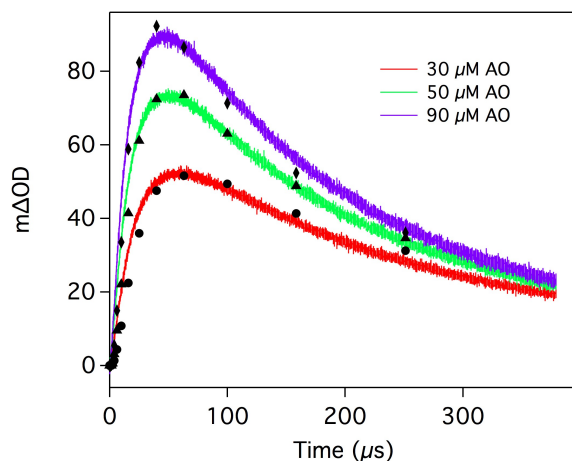
**Figure S4.** Spectroelectrochemistry of 40  $\mu\text{M}$   $\text{AOH}^+$  in  $\text{CH}_3\text{CN}$ . Optical spectra of  $\text{AOH}^+$  were recorded in a spectroelectrochemical cell as applied potentials were stepped to increasingly negative values (hold time = 3 s). Bleaching of the characteristic  $\text{AOH}^+$  absorption feature ( $\lambda_{\text{max}} = 495 \text{ nm}$ ) is accompanied by growth of a new feature at 425 nm, which we assign to the product of direct reduction,  $\text{AOH}\cdot$ .<sup>5</sup> A clean isosbestic was not observed, suggesting that  $\text{AOH}^+$  is not cleanly converted to the acridinium radical,  $\text{AOH}\cdot$ . This observation is consistent with the irreversibility observed in CV experiments (Figure S9). Based on the molar extinction coefficient for  $\text{AOH}^+$  ( $\epsilon = 18,000 \text{ M}^{-1} \text{ cm}^{-1}$ ), we estimate a lower limit for  $\epsilon(\text{AOH}\cdot)$  of  $6,500 \text{ M}^{-1} \text{ cm}^{-1}$ . Spectra were recorded with a honeycomb platinum working electrode (Pine Instruments), a platinum counter electrode and a Ag pseudo-reference electrode. We were unable to reference the applied potentials directly to ferrocene with this electrochemical cell. As such, these spectra are referenced only to the silver pseudoreference ( $\text{Ag}^{+/0}$ ) and the results are qualitative, not quantitative.



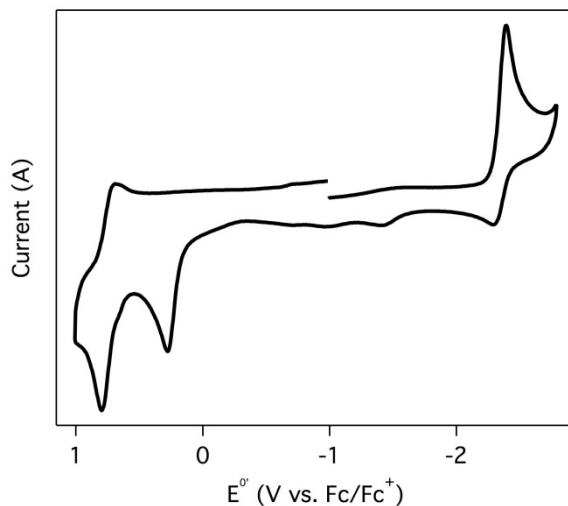
**Figure S5.** Decay of the triplet excited state of  $\text{AOH}^+$  in  $\text{CH}_3\text{CN}$  monitored at 560 nm. Kinetics were fit with a single exponential decay to yield  $k_{\text{AOH}} = 40,000 \text{ s}^{-1}$ . 40  $\mu\text{M}$   $\text{AOH}^+$ ,  $\lambda_{\text{ex}} = 495 \text{ nm}$ ,  $\lambda_{\text{obs}} = 560 \text{ nm}$ , 0.1 M  $[\text{Bu}_4\text{N}][\text{PF}_6]$ .



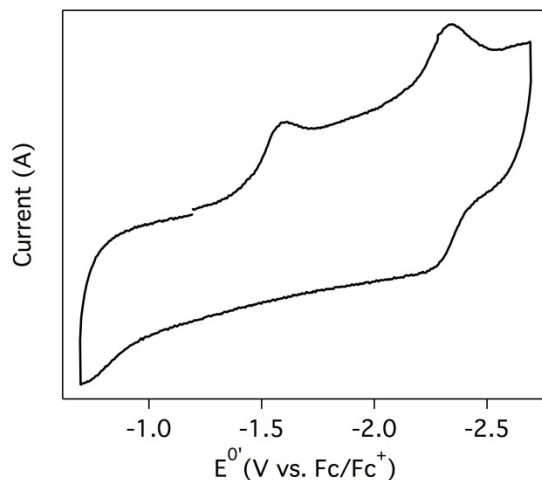
**Figure S6.** Kinetics traces (lines) of 40  $\mu\text{M}$  AO with 0–1000  $\mu\text{M}$   $^{\text{ttb}}$ PhOD in  $\text{CH}_3\text{CN}$  and the simulated spectra (markers).  $k_{\text{nr}}$  ( $300 \text{ s}^{-1}$ ),  $k_{\text{TT}}$  ( $5.3 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{S}}$  ( $1.0 \times 10^8 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{CDET}}$  ( $2.9 \times 10^8 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{ET}}$  ( $5.5 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{AOH}}$  ( $4.0 \times 10^4 \text{ s}^{-1}$ ). 40  $\mu\text{M}$  AO,  $\lambda_{\text{ex}} = 425 \text{ nm}$ ,  $\lambda_{\text{obs}} = 560 \text{ nm}$ , 0.1 M  $[\text{Bu}_4\text{N}][\text{PF}_6]$ .



**Figure S7.** Kinetics traces (lines) of 30–90  $\mu\text{M}$  AO with 500  $\mu\text{M}$   $^{\text{ttb}}$ PhOD in  $\text{CH}_3\text{CN}$  and the simulated spectra (markers).  $k_{\text{nr}}$  ( $300 \text{ s}^{-1}$ ),  $k_{\text{TT}}$  ( $5.3 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{S}}$  ( $1.0 \times 10^8 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{CDET}}$  ( $2.9 \times 10^8 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{ET}}$  ( $5.5 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{PT}}$  ( $1.0 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ),  $k_{\text{AOH}}$  ( $4.0 \times 10^4 \text{ s}^{-1}$ , see Figure S5). 40  $\mu\text{M}$  AO,  $\lambda_{\text{ex}} = 425 \text{ nm}$ ,  $\lambda_{\text{obs}} = 460 \text{ nm}$ , 0.1 M  $[\text{Bu}_4\text{N}][\text{PF}_6]$ .



**Figure S8.** Cyclic voltammogram of 275  $\mu\text{M}$  acridine orange (AO) in  $\text{CH}_3\text{CN}$  with 0.1 M  $[\text{Bu}_4\text{N}][\text{PF}_6]$ . The irreversible reduction at approximately  $-2.4$  V vs.  $\text{Fc}^{+/0}$  is attributed to the one-electron reduction of AO ( $\text{AO}^{0/-}$ ), followed by reactivity of  $\text{AO}^-$  on the electrochemical timescale. Scan rate = 500 mV/s.



**Figure S9.** Cyclic voltammogram of 125  $\mu\text{M}$  acridinium orange ( $\text{AOH}^+$ ) in  $\text{CH}_3\text{CN}$  with 0.1 M  $[\text{Bu}_4\text{N}][\text{PF}_6]$ . The irreversible reduction at approximately  $-1.6$  V vs.  $\text{Fc}^{+/0}$  is assigned to the  $\text{AOH}^{+/\bullet}$  couple in agreement with literature values.<sup>6</sup> Scan rate = 500 mV/s.

**Table S1.** Rate Constants determined from kinetic modeling.

Rate Constant	Value
$k_{nr}$	$300\text{ s}^{-1}$
$k_{TT}$	$5.3 \times 10^9\text{ M}^{-1}\text{ s}^{-1}$
$k_S$	$1.0 \times 10^8\text{ M}^{-1}\text{ s}^{-1}$
$k_{CPET}$	$3.7 \times 10^8\text{ M}^{-1}\text{ s}^{-1}$
$k_{CDET}$	$2.9 \times 10^8\text{ M}^{-1}\text{ s}^{-1}$
$k_{ET}$	$5.5 \times 10^9\text{ M}^{-1}\text{ s}^{-1}$
$k_{PT}$	$1.0 \times 10^9\text{ M}^{-1}\text{ s}^{-1}$
$k_{AOH}$	$4.0 \times 10^4\text{ s}^{-1}$



### III. Thermochemical Analysis

**Table S2.** Reduction potentials in CH<sub>3</sub>CN.

Species	E°' (V vs. Fc <sup>+/0</sup> )	Reference
AO <sup>0/-</sup>	~ -2.4	This work
AOH <sup>+•</sup>	~ -1.6	This work
AO <sup>3*-/</sup>	0.18	This work
AOH <sup>3*+•</sup>	0.53	This work
<sup>ttb</sup> PhO <sup>•-/</sup>	-0.70	7
<sup>ttb</sup> PhOH <sup>•+/0</sup>	1.18	7
TEMPO <sup>•-/</sup>	-1.95	7
TEMPOH <sup>•+/0</sup>	0.71	7

**Table S3.** pK<sub>a</sub> values in CH<sub>3</sub>CN.

Species	pK <sub>a</sub>	Reference
AOH <sup>+</sup>	19.3	This work
AOH <sup>•</sup>	33.4	This work
<sup>ttb</sup> PhOH	28	7
<sup>ttb</sup> PhOH <sup>•+</sup>	-3	7
TEMPOH	41	7
TEMPOH <sup>•+</sup>	-4	7

**Table S4.** S<sub>0</sub>-T E<sub>00</sub> values

Species	E <sub>00</sub> (eV)	E <sub>00</sub> (kcal/mol)	Reference
AOH <sup>+</sup>	2.13	49.2	8
AO	2.58	59.5	This work

### **$E_{00}$ values for $^3\text{AO}$ and $^3\text{AOH}^+$**

The  $E_{00}$  ( $S_0 \rightarrow T$ ) for AO has not been measured; but the  $E_{00}$  ( $S_0 \rightarrow T$ ) for  $\text{AOH}^+$  has been experimentally determined.<sup>8</sup>

$$E_{00}(\text{AOH}^+ \rightarrow ^3\text{AOH}^+) = +2.13 \text{ eV}$$

From this value, the excited state reduction potential of acridinium triplet can be determined from the equation below.<sup>9,10</sup>

$$E^{\circ'}(\text{AOH}^{3*+/•}) = E^{\circ'}(\text{AOH}^{+/•}) + E_{00}(\text{AOH}^+) = +0.53 \text{ V vs. Fc}^{+/0}$$

By evaluating the electron transfer quenching of the triplet excited states of AO and  $\text{AOH}^+$ , Volgelmann has estimated the difference in reduction potentials of  $^3\text{AO}$  and  $^3\text{AOH}^+$ .<sup>11</sup>

$$\Delta E^{\circ'} = E^{\circ'}(\text{AOH}^{3*+/•}) - E^{\circ'}(\text{AO}^{3*/-}) = +0.35 \text{ eV}$$

From this value, the excited state reduction potential of the acridine orange triplet can be estimated.  $^3\text{AO}$  is a very weak excited-state oxidant.

$$E^{\circ'}(\text{AO}^{3*/-}) = +0.18 \text{ V vs. Fc}^{+/0}$$

From this value and the experimentally determined  $E^{\circ'}(\text{AO}^{0/-})$  value, the acridine orange  $E_{00}$  ( $S_0 \rightarrow T$ ) value can be estimated with the equation below.

$$E^{\circ'}(\text{AO}^{3*/-}) = E^{\circ'}(\text{AO}^{0/-}) + E_{00}$$

$$\underline{E_{00}(\text{AO} \rightarrow ^3\text{AO}) = +2.58 \text{ eV}}$$

### **$\Delta G^{\circ}$ for proton transfer reactions<sup>7</sup>**

$$\Delta G_{\text{PT}}^{\circ} = -RT \ln(K_a) = 2.303RT(\text{p}K_a) = (1.37 \text{ kcal mol}^{-1})\text{p}K_a @ 298 \text{ K}$$

$\text{XH} \rightarrow \text{X}^- + \text{H}^+$	$\Delta G^{\circ} = (1.37 \text{ kcal mol}^{-1}) \text{p}K_a(\text{XH})$
$-(\text{YH} \rightarrow \text{Y}^- + \text{H}^+)$	$\Delta G^{\circ} = -(1.37 \text{ kcal mol}^{-1}) \text{p}K_a(\text{YH})$
$\text{XH} + \text{Y}^- \rightarrow \text{YH} + \text{X}^-$	$\Delta G^{\circ} = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{YH}) - \text{p}K_a(\text{XH})]$

### **$\Delta G^{\circ}$ for electron transfer reactions<sup>7</sup>**

$$\Delta G_{\text{ET}}^{\circ} = -FE^{\circ} = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1})E^{\circ}$$

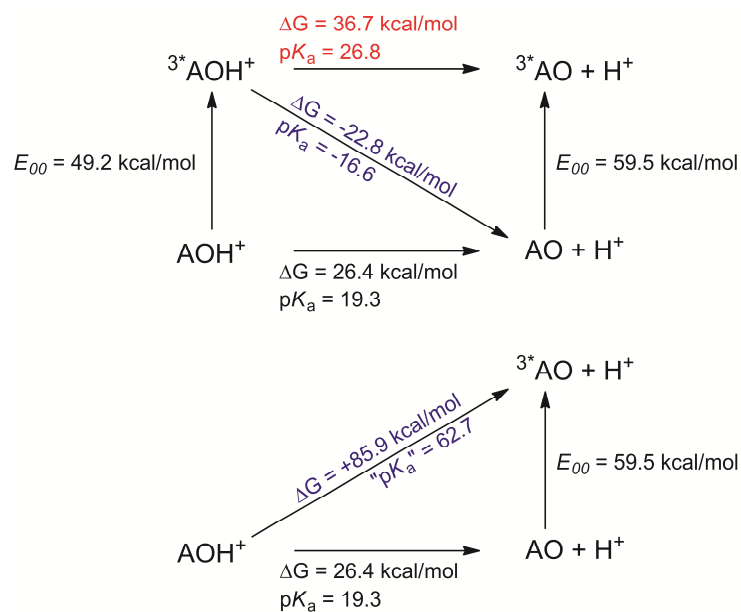
$\text{Y} + \text{e}^- \rightleftharpoons \text{Y}^-$	$\Delta G^{\circ} = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) E^{\circ}(\text{Y}^{0/-})$
$-(\text{X}^+ + \text{e}^- \rightleftharpoons \text{X})$	$\Delta G^{\circ} = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) E^{\circ}(\text{X}^{+/0})$
$\text{X} + \text{Y} \rightleftharpoons \text{X}^+ + \text{Y}^-$	$\Delta G^{\circ} = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^{\circ}(\text{Y}^{0/-}) - E^{\circ}(\text{X}^{+/0})]$

**$\Delta G^{\circ}$  for CPET reactions** were calculated per Hess's Law, as illustrated below.

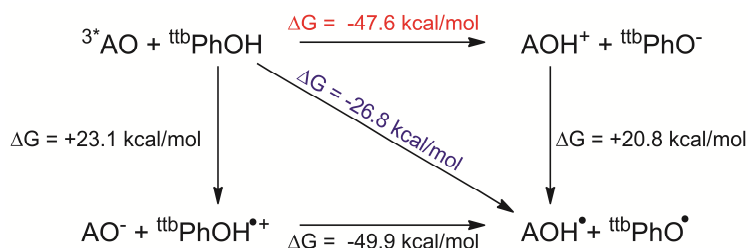
### Calculation of Excited State $pK_a$ for $AOH^+$

The Förster cycle was utilized to estimate the  $pK_a$  of  ${}^3\text{AOH}^+$  ( $pK_a^*$ ).<sup>12-14</sup>

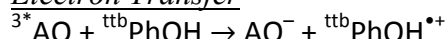
$$pK_a - pK_a^* = \frac{E_{00}(\text{AOH}^+) - E_{00}(\text{AO})}{2.303RT} = \frac{E_{00}(\text{AOH}^+) - E_{00}(\text{AO})}{1.37}$$



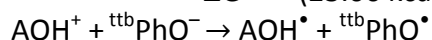
## Thermochemical Analysis of Excited State PCET – AO + <sup>ttb</sup>PhOH



### Electron Transfer

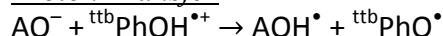


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{AO}^{3*/-}) - E^\circ({}^{\text{ttb}}\text{PhOH}^{\bullet+/0})] = +23.1 \text{ kcal mol}^{-1}$$



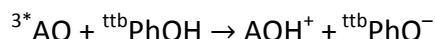
$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{AOH}^{+/-}) - E^\circ({}^{\text{ttb}}\text{PhO}^{\bullet/-})] = +20.8 \text{ kcal mol}^{-1}$$

### Proton Transfer



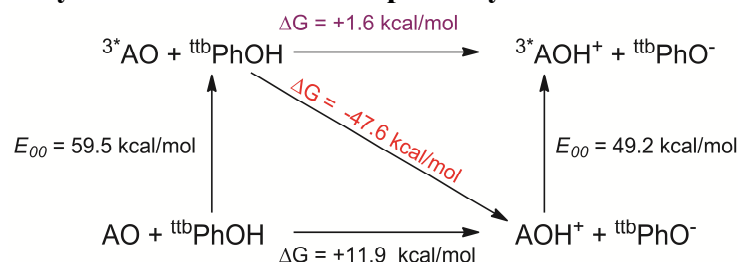
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{AOH}^\bullet) - \text{p}K_a({}^{\text{ttb}}\text{PhOH}^{\bullet+})] = -49.9 \text{ kcal mol}^{-1}$$

See thermal reaction for details

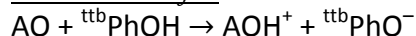


$$\Delta G^\circ = -47.6 \text{ kcal mol}^{-1} \text{ (per Hess's law, with PT coupled to excited-state deactivation, see below)}$$

## Thermochemical Analysis of Excited State PT pathways – AO + <sup>ttb</sup>PhOH

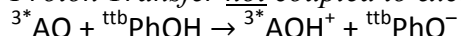


### Proton Transfer



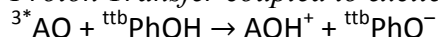
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{AOH}^+) - \text{p}K_a({}^{\text{ttb}}\text{PhOH})] = +11.9 \text{ kcal mol}^{-1}$$

### Proton Transfer not coupled to excited state deactivation



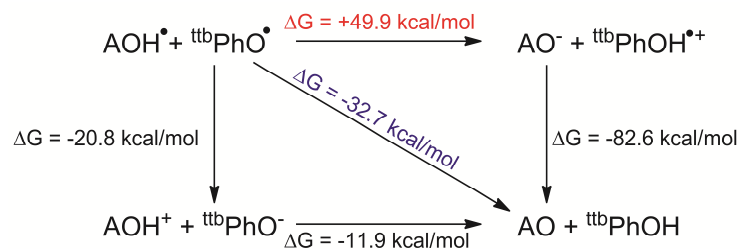
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a({}^3\text{AOH}^+) - \text{p}K_a({}^{\text{ttb}}\text{PhOH})] = +1.6 \text{ kcal mol}^{-1}$$

### Proton Transfer coupled to excited state deactivation

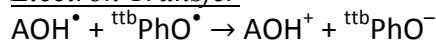


$$\Delta G^\circ = -47.6 \text{ kcal mol}^{-1} \text{ (per Hess's Law)}$$

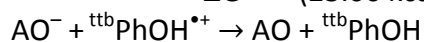
## Thermochemical Analysis of Thermal PCET – AO + <sup>ttb</sup>PhOH



### Electron Transfer

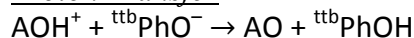


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ({}^{\text{ttb}}\text{PhO}^{\bullet/-}) - E^\circ(\text{AOH}^{+/ \bullet})] = -20.8 \text{ kcal mol}^{-1}$$

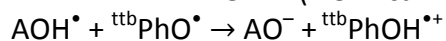


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ({}^{\text{ttb}}\text{PhOH}^{\bullet+/0}) - E^\circ(\text{AO}^{0/-})] = -82.6 \text{ kcal mol}^{-1}$$

### Proton Transfer



$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a({}^{\text{ttb}}\text{PhOH}) - \text{p}K_a(\text{AOH}^+)] = -11.9 \text{ kcal mol}^{-1}$$

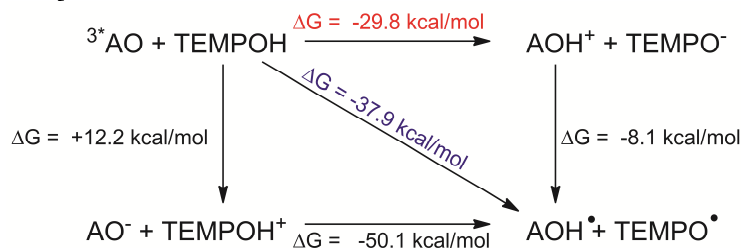


$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a({}^{\text{ttb}}\text{PhOH}^{\bullet+}) - \text{p}K_a(\text{AOH}^{\bullet})] = +49.9 \text{ kcal mol}^{-1}$$

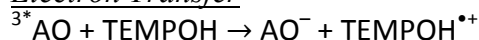
$$[\text{p}K_a({}^{\text{ttb}}\text{PhOH}^{\bullet+}) - \text{p}K_a(\text{AOH}^{\bullet})] = -36.4$$

$$\text{p}K_a(\text{AOH}^{\bullet}) = +33.4$$

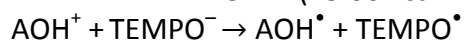
## Thermochemical Analysis of Excited State PCET – AO + TEMPOH



### Electron Transfer

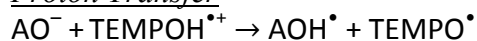


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{AO}^{3*/-}) - E^\circ(\text{TEMPOH}^{\bullet+}/0)] = +12.2 \text{ kcal mol}^{-1}$$



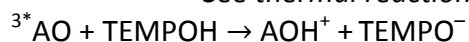
$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{AOH}^{+/•}) - E^\circ(\text{TEMPO}^{\bullet-}/-)] = -8.1 \text{ kcal mol}^{-1}$$

### Proton Transfer



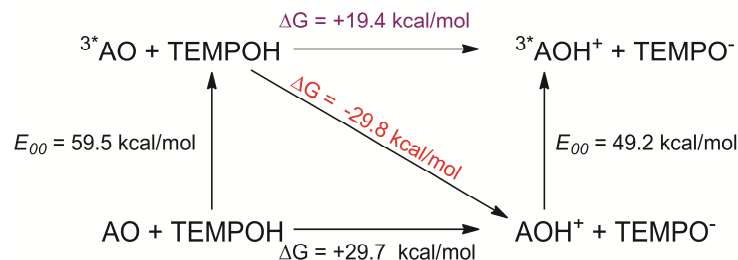
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{AOH}^\bullet) - \text{p}K_a(\text{TEMPOH}^{\bullet+})] = -50.1 \text{ kcal mol}^{-1}$$

See thermal reaction for details

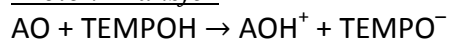


$$\Delta G^\circ = -29.8 \text{ kcal mol}^{-1} \text{ (per Hess's law, with PT coupled to excited-state deactivation, see below)}$$

## Thermochemical Analysis of Excited State PT pathways – AO + TEMPOH

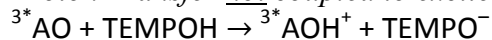


### Proton Transfer



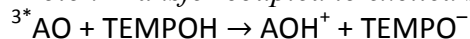
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{AOH}^+) - \text{p}K_a(\text{TEMPOH})] = +29.7 \text{ kcal mol}^{-1}$$

### Proton Transfer not coupled to excited state deactivation



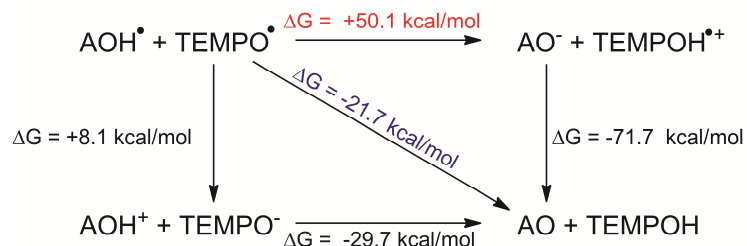
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(^3\text{AOH}^+) - \text{p}K_a(\text{TEMPOH})] = +19.4 \text{ kcal mol}^{-1}$$

### Proton Transfer coupled to excited state deactivation

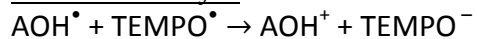


$$\Delta G^\circ = -29.8 \text{ kcal mol}^{-1} \text{ (per Hess's Law)}$$

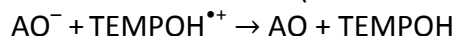
## Thermochemical Analysis of Thermal PCET – AO + TEMPOH



### Electron Transfer

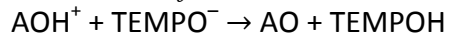


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{TEMPO}^{\bullet+/-}) - E^\circ(\text{AOH}^{+/ \bullet})] = +8.1 \text{ kcal mol}^{-1}$$

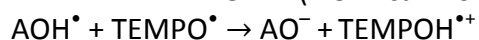


$$\Delta G^\circ = -(23.06 \text{ kcal mol}^{-1} \text{ V}^{-1}) [E^\circ(\text{TEMPOH}^{\bullet+/0}) - E^\circ(\text{AO}^{0/-})] = -71.7 \text{ kcal mol}^{-1}$$

### Proton Transfer



$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{TEMPOH}) - \text{p}K_a(\text{AOH}^+)] = -29.7 \text{ kcal mol}^{-1}$$



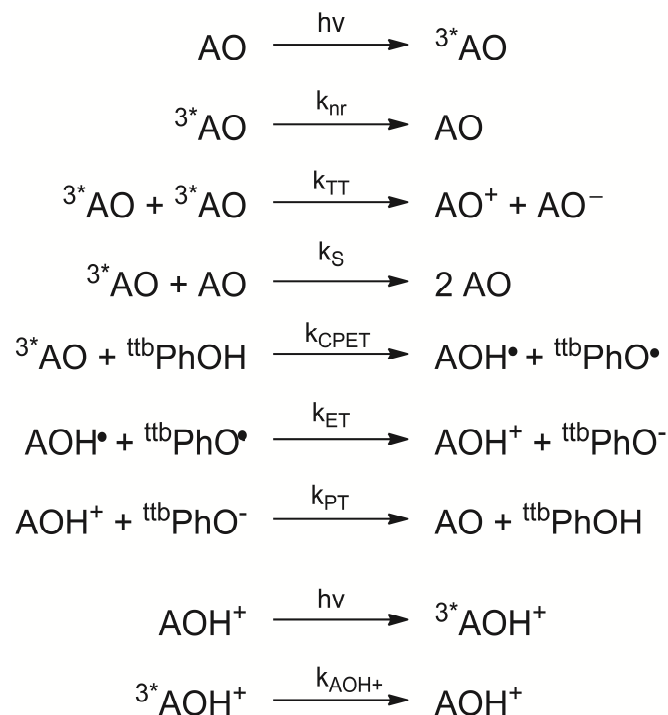
$$\Delta G^\circ = -(1.37 \text{ kcal mol}^{-1}) [\text{p}K_a(\text{TEMPOH}^{\bullet+}) - \text{p}K_a(\text{AOH}^\bullet)] = +50.1 \text{ kcal mol}^{-1}$$

$$[\text{p}K_a(\text{TEMPOH}^{\bullet+}) - \text{p}K_a(\text{AOH}^\bullet)] = -36.5$$

$$\text{p}K_a(\text{AOH}^\bullet) = 32.5 \text{ (33.4 in } ^{\text{ttb}}\text{PhOH cycle)}$$

## IV. Details of Kinetics Modeling

**Scheme S1** Detailed kinetics model



**Scheme S2** Differential equations employed for kinetic models

$$\frac{d[{}^3\text{AO}]}{dt} = -k_{nr}[{}^3\text{AO}] - k_{TT}[{}^3\text{AO}]^2 - k_S[{}^3\text{AO}](\text{AO}] - [{}^3\text{AO}]) - k_{CPET}[{}^3\text{AO}][{}^{ttb}\text{PhOH}]$$

$$\frac{d[{}^{ttb}\text{PhOH}]}{dt} = -k_{CPET}[{}^3\text{AO}][{}^{ttb}\text{PhOH}]$$

$$\frac{d[{}^{ttb}\text{PhO}^\bullet]}{dt} = k_{CPET}[{}^3\text{AO}][{}^{ttb}\text{PhOH}] - k_{ET}[\text{AOH}^\bullet][{}^{ttb}\text{PhO}^\bullet]$$

$$\frac{d[\text{AOH}^\bullet]}{dt} = k_{CPET}[{}^3\text{AO}][{}^{ttb}\text{PhOH}] - k_{ET}[\text{AOH}^\bullet][{}^{ttb}\text{PhO}^\bullet]$$

$$\frac{d[{}^3\text{AOH}^+]}{dt} = -k_{AOH^+}[{}^3\text{AOH}^+]$$

$$\frac{d[\text{AOH}^+]}{dt} = k_{ET}[\text{AOH}^\bullet][{}^{ttb}\text{PhO}^\bullet] - k_{PT}[\text{AOH}^+][{}^{ttb}\text{PhO}^-] \text{ (included only for 460 nm model)}$$

$$\frac{d[\text{AO}]}{dt} = k_{PT}[\text{AOH}^+][{}^{ttb}\text{PhO}^-] \text{ (included only for 460 nm model)}$$



To simulate the kinetics traces, this series of differential equations was solved numerically with an ordinary differential equations solver. We utilized ode23 in MATLAB. The details of the simulations and the MATLAB \*.m files employed are provided below.

### ***Kinetics at 560 nm***

Input needed to complete simulated fits:

Timescale: logtimespan = -8:0.2:-3; timespan = 10.^logtimespan;

Molar extinction coefficients for  $^3\text{AO}$ ,  $^3\text{AOH}^+$ ,  $^{\text{ttb}}\text{PhO}\bullet$  (in units of  $\text{M}^{-1} \text{cm}^{-1}$ ): eps3AO = 4800; eps3AOH+=3500; epsttbPhO = 250

Vector defining rate constants  $k_{\text{nr}}$ ,  $k_{\text{TT}}$ ,  $k_{\text{CPET}}$ ,  $k_{\text{ET}}$ ,  $k_{\text{S}}$  and  $k_{\text{AOH}}$  in this order: k = [knr; kTT; kCPET; kET; kS; kAOH];

Vector defining initial concentrations of  $^3\text{AO}$ ,  $^{\text{ttb}}\text{PhOH}$ ,  $^{\text{ttb}}\text{PhO}\bullet$ ,  $\text{AOH}\bullet$ ,  $^3\text{AOH}^+$ : y0 = [3AO; ttbPhOH; ttbPhOrad; AOHrad; 3AOH+];

TripAO\_v4.m (script below) describes the various rate expressions associated with kinetics at a given wavelength, in this case 560 nm. y(x) values represent concentrations, and k(x) values represent rate constants.

```
function [yprime]=TripAO_v4(t,y,k)
%y(1)=3AO, y(2)=ttbPhOH, y(3)=ttbPhOrad, y(4)=AOHrad, y(5)=3AOH+ present due
to trace impurity
%k(1)=knr, k(2)=kTT, k(3)=kCPET, k(4)=kET
%k(5)=kS,k(6)=kAOH;

%decay of 3AO
yprime(1)=-k(1).*y(1)-k(2).*y(1).*y(1)-k(3).*y(1).*y(2)-k(5).*y(1).*(40e-6-
y(1));
%ttbPhOH: loss of ttbPhOH due to CPET quenching of 3AO
yprime(2)=-k(3).*y(1).*y(2);
% ttbPhOradical: formation and loss of ttbPhOradical
yprime(3)=k(3).*y(1).*y(2)-k(4).*y(3).*y(4);
% AOHrad:formation and loss of AOHradical - formed in equal concentration with
ttbPhOradical
yprime(4)=k(3).*y(1).*y(2)-k(4).*y(3).*y(4);
%decay of 3AOH+
yprime(5)=-k(6).*y(5);

yprime=yprime(:);
```

TripAO\_Simulated\_dOD\_v4.m (script below) is used to numerically solve the differential equations provided in TripAO\_v4.m based on the initial value inputs. The time-dependent concentration profiles produced for each species are multiplied by the appropriate molar absorptivity coefficients at the wavelength of interest (for species absorbing at 560 nm, see above) and the optical pathlength (defined by the pump probe overlap, 0.5 cm). These absorbance values are summed to yield the simulated transient absorption spectra. The simulated spectra can then be plotted and compared to experimental data.

```
[Tcalc,Ycalc]=ode23s(@(t,y)TripAO_v4(t,y,k),timespan,y0);
%Differential equation solver used to compute a simulated concentration
%profile based on the differential equations describing the electron
%transfer reactions (see TripAO.m)

dOD_calc23_560=Ycalc(:,1)*eps3AO*0.5+Ycalc(:,3)*epsttbPhO*0.5+Ycalc(:,5)*epsAO
H*0.5
```

```
%converts calculated concentration profile into a simulated TA spectrum by
%multiplying the concentration profile by the vector of epsilon values
%dOD_calc23_560 is used for the data at 560 nm.
%Plot Simulated Data
plot(Tcalc,dOD_calc23_560','ko');
```

### ***Kinetics at 460 nm***

Input needed to complete simulated fits:

Timescale: logtimespan = -8:0.2:-3; timespan = 10.^logtimespan;

Molar absorptivity coefficients for  $\text{AOH}^+$  at 460 nm (in units of  $\text{M}^{-1} \text{cm}^{-1}$ ): epsAOH=18100

Vector defining rate constants  $k_{\text{nr}}$ ,  $k_{\text{TT}}$ ,  $k_{\text{CPET}}$ ,  $k_{\text{ET}}$ ,  $k_{\text{S}}$ ,  $k_{\text{AOH}}$ ,  $k_{\text{PT}}$  in this order: k = [knr; kTT; kCPET; kET; kS; kAOH; kPT];

Vector defining initial concentrations of  $^3\text{AO}$ ,  $^{\text{ttb}}\text{PhOH}$ ,  $^{\text{ttb}}\text{PhO}^\bullet$ ,  $\text{AOH}^\bullet$ ,  $^3\text{AOH}^+$ ,  $^{\text{ttb}}\text{PhO}^-$  or  $\text{AOH}^+$  (equal conc.),  $\text{AO}$  and  $^{\text{ttb}}\text{PhOH}$  reformed (equal conc): y0 = [3AO; ttbPhOH; ttbPhOrad; AOHrad; 3AOH+; AOH+; AO];

TripAO\_v5.m describes the various rate expressions associated with kinetics at a given wavelength, in this case 460 nm. y(x) values represent concentrations, and k(x) values represent rate constants.

```
function [yprime]=TripAO_v5(t,y,k)
%y(1)=3AO, y(2)=ttbPhOH, y(3)=ttbPhOrad, y(4)=AOHrad, y(5)=3AOH+ present due
to trace impurity, y(6)=ttbPhO- and AOH+ formed in solution, y(7)=AO and
ttbPhOH reformed
%k(1)=knr, k(2)=kTT, k(3)=kCPET, k(4)=kET
%k(5)=kS
%k(6)=kAOH; k(7)=kPT

%decay of 3AO
yprime(1)=-k(1).*y(1)-k(2).*y(1).*y(1)-k(3).*y(1).*y(2)-k(5).*y(1).*(40e-6-
y(1));
%ttbPhOH: loss of ttbPhOH due to CPET quenching of 3AO
yprime(2)=-k(3).*y(1).*y(2);
% ttbPhOradical: formation and loss of ttbPhOradical
yprime(3)=k(3).*y(1).*y(2)-k(4).*y(3).*y(4);
%AOHrad:formation and loss of AOHradical - formed in equal concentration with
ttbPhOradical
yprime(4)=k(3).*y(1).*y(2)-k(4).*y(3).*y(4);
%3AOH+ decay
yprime(5)=-k(6).*y(5);
%Formation and reactivity of AOH+ and ttbPhO- - equal concentrations
yprime(6)=k(4).*y(3).*y(4)-k(7).*y(6).*y(6);
%Recombination of AOH+ and ttbPhO-;
yprime(7)=k(7).*y(6).*y(6);

yprime=yprime(:);
```

TripAO\_Simulated\_dOD\_v5.m (script below) is used to numerically solve the differential equations provided in TripAO\_v5.m based on the initial value inputs. The time-dependent concentration profiles produced for each species are multiplied by the appropriate molar absorptivity coefficients at the wavelength of interest (see above) and the optical pathlength (defined by the pump probe overlap, 0.5 cm). These absorbance values are summed to yield the

simulated transient absorption spectra. The simulated spectra can then be plotted and compared to experimental data.

```
[Tcalc,Ycalc]=ode23s(@(t,y)TripAO_v5(t,y,k),timespan,y0);
%Differential equation solver used to compute a simulated concentration
%profile based on the differential equations describing the electron
%transfer reactions (see TripAO.m)

dOD_calc23_460=Ycalc(:,6)*epsAOH*0.5;
%converts calculated concentration profile into a simulated TA spectrum by
%multiplying the concentration profile of AOH+ by the epsilon value
%dOD_calc23_560 is used for the data at 460
plot(Tcalc,dOD_calc23_460,'ko');
```

## **V. References**

- (1) Miyazaki, S.; Kojima, T.; Mayer, J. M.; Fukuzumi, S. *J. Am. Chem. Soc.* **2009**, *131*, 11615–11624.
- (2) Mader, E. A.; Larsen, A. S.; Mayer, J. M. *J. Am. Chem. Soc.* **2004**, *126*, 8066–8067.
- (3) Saouma, C. T.; Kaminsky, W.; Mayer, J. M. *J. Am. Chem. Soc.* **2012**, *134*, 7293–7296.
- (4) Kellmann, A. *Photochem. Photobiol.* **1971**, *14*, 85–93.
- (5) Guha, S. N.; Mittal, J. P. *J. Photochem. Photobiol. A Chem.* **1995**, *2*, 181–188.
- (6) Bolton, J. R.; Chan, M. S. *Sol. Energy* **1980**, *24*, 561–574.
- (7) Warren, J. J.; Tronic, T. A.; Mayer, J. M. *Chem. Rev.* **2010**, *110*, 6961–7001.
- (8) Chambers, R. W.; Kearns, D. R. *Photochem. Photobiol.* **1969**, *10*, 215–219.
- (9) Rehm, D.; Weller, A. *Isr. J. Chem.* **1970**, *8*, 259.
- (10) Juris, A.; Balzani, V.; Barigelletti, F.; Campagna, S.; Belser, P.; Von Zelewsky, A. *Coord. Chem. Rev.* **1988**, *84*, 85–277.
- (11) Vogelmann, E.; Rauscher, W.; Krameer, H. E. A. *Photochem. Photobiol.* **1979**, *29*, 771–776.
- (12) Forster, T. *Z. Elektrochem.* **1950**, *54*, 531–535.
- (13) Grabowski, Z. R.; Rubaszewska, W. *J. Chem. Soc. Faraday Trans. 1* **1977**, *73*, 11–28.
- (14) Dempsey, J. L.; Winkler, J. R.; Gray, H. B. *J. Am. Chem. Soc.* **2010**, *132*, 16774–16776.